

b) $n(L \cup R \cup B) = n(L) + n(R) + n(B) - n(L \cap R) - n(L \cap B) - n(R \cap B) + n(\text{all 3})$

$$= 740 + 463 + 380 - 375 - 269 - 86 + 57$$

$$= 910$$

$\therefore 910$ watch at least one of the teams

c) Watched none of the teams?

$$1000 - 910 = 90$$

Total survive \uparrow those who picked one of the three teams \uparrow

$\therefore 90$ students do not watch any of the teams

d) Watch only one of the teams?

$$L = 153 \quad R = 59 \quad B = 82$$

$$153 + 59 + 82 = 294$$

5) 14 rugby players, 14 football players. form a group of 4.

a) has to be one rugby player?

$${}^{14}C_1 \times {}^{14}C_3 = 13566$$

b) all rugby OR all football players

$${}^{14}C_4 + {}^{14}C_4 = 4877$$

c) at least 1 football player

$${}^{14}C_1 \times {}^{14}C_3 + {}^{14}C_2 \times {}^{14}C_2 + {}^{14}C_3 \times {}^{14}C_1 + {}^{14}C_4 \times 1 = 39919$$

6) 16 people grouped into 3 groups and each group has at least 5 people

$${}^{16}C_6 \times {}^{10}C_5 \times {}^5C_5 \times 1 = 6054048$$

Number of ways the last person can be in

7) 3 orange marbles, 4 green, two yellow, need

$$\underline{4} \quad \times \quad \underline{5} \quad \times \quad \underline{3} \quad - 1$$

$$= 59$$

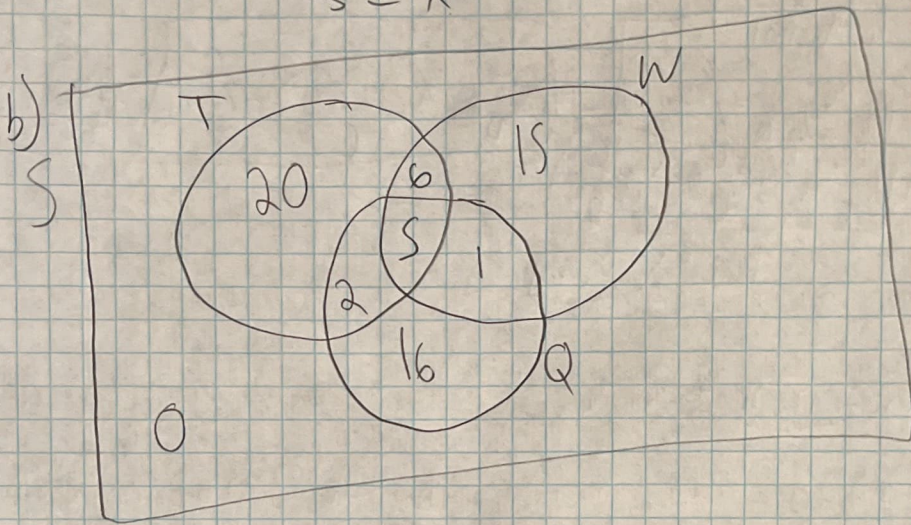
$$8) a) n(T \cup W \cup Q) = n(T) + n(W) + n(Q) - n(T \cap W) - n(T \cap Q) - n(W \cap Q) + n(T \cap W \cap Q)$$

$$65 = 33 + 27 + 24 - 11 - 7 - 6 + x$$

$$65 = 60 + x$$

$$65 - 60 = x$$

$$5 = x$$



c) 20 interested to apply only to UFT.

d) 6 applies to T and W but not Q

9

14 volunteers, 3 working the entrance, 4 with children, and 7 at tables

a) how many ways can they be assigned?

$${}^{14}C_3 \times {}^{11}C_4 \times {}^7C_7 = 120120$$

b) Total - dont want \boxed{mm} at door \boxed{mm} at the children \boxed{mm}

$$\begin{aligned}
 & \left(\begin{array}{c} \text{station total} \\ {}^{14}C_3 \times {}^{11}C_4 \times {}^7C_7 \\ \hline = 7 \times 7 \end{array} \right) - \left(\begin{array}{c} {}^C_1 \times {}^{11}C_4 \times {}^7C_7 \\ \hline = 1 \times 11 \times 7 \end{array} \right) - \left(\begin{array}{c} {}^C_2 \times {}^{10}C_3 \times \\ \hline = 2 \times 10 \times 3 \end{array} \right) \\
 & \left(\begin{array}{c} {}^{12}C_5 \times {}^7C_4 \times {}^3C_3 \\ \hline = 12 \times 7 \times 3 \end{array} \right) \\
 & \text{tables } \boxed{mm}
 \end{aligned}$$

$$120120 - \boxed{mm} = 80520$$

\therefore 80520 ways for both mary and martha not to be in the same station.